CIRCUITS

Current

Resistance

Ohms Law

Power

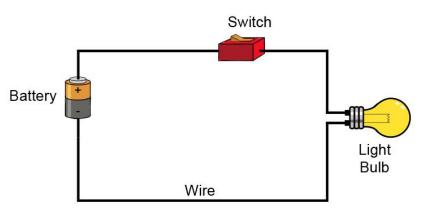
Series Circuits

Parallel Circuits

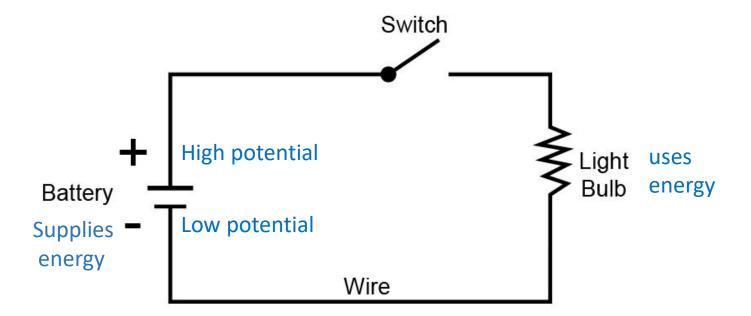
Combination Circuits

CIRCUITS

Circuit Diagram

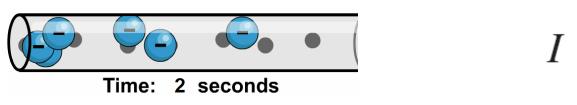


Basic Circuit

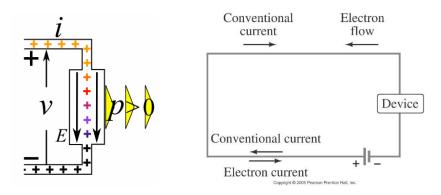


Electric Current

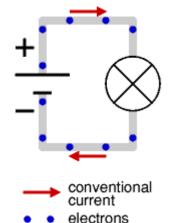
• Rate of Flow of Electric Charge through a conductor.



• Unit of electric current: the ampere, A. 1 A = 1 C/s.



The direction of current in a circuit is described as the direction positive charge move. $(+ \rightarrow -)$



But, actually it's the electrons that move through a circuit in the opposite direction of conventional current.

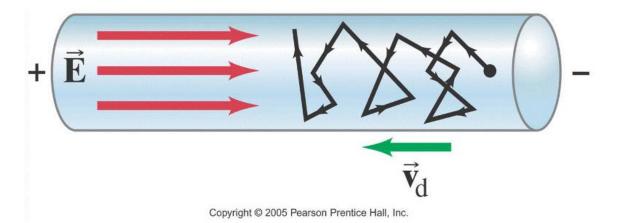
Drift Velocity

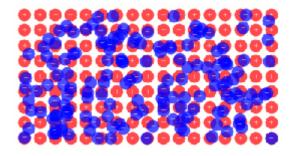
When Electrons move through a wire, they do not move very fast or very straight.

The bounce off and move around each other.

The average speed of the charges is very slow (measured in centimeters per second)

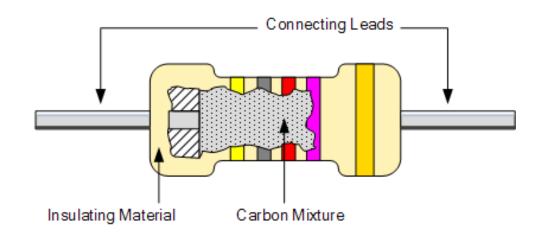
The average speed of the electron is called drift velocity

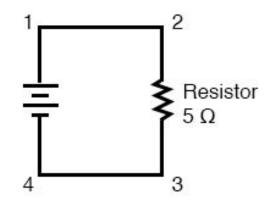




Resistance

- Slows the flow of electric charge
- Uses energy in a circiut
- The ratio of voltage to current is called the resistance: $R = \frac{v}{r}$
- Measure in Ohms. (rhymes with "owns")
- $1\frac{Volt}{Amp} = 1 \Omega$ (Ohms)





Resistance

The Resistance of a wire:

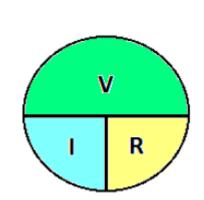
- Is Characteristic of the material
 - (Resistivity)
- Is Directly proportional to Length
 - L↑, Ω↑
- Is Inversely proportional to Area.
 - A \uparrow , $\Omega \downarrow$
- Increases with temperature
 - T↑, Ω↑



Ohm's LawV = IR

 \rightarrow

R



The Current Electric Potential in any circuit can be found by using Ohms Law (Georg Simon Ohm)

The amount of Electric Potential (Energy per unit charge) (V) used by a resistor depends on the Current through the circuit, and the amount of Resistance V = IR

The current depends on the Potential of the Circuit (V (volts)) , and the Resistance of the Circuit. $I = \frac{V}{R}$

Potential	Current	Resistance	Solution
?	0.5A	12Ω	V = IR = .5 * 12 $= 6V$
12V	?	4Ω	$I = \frac{V}{R} = \frac{12}{4} = 3A$
6V	1.5A	?	$R = \frac{V}{I} = \frac{6}{1.5} = 4\Omega$

Magic Triangle

Power

Rate at which work is done

•
$$P = \frac{Work}{time} \rightarrow V = \frac{Work}{Q} \rightarrow Work = QV \rightarrow (see \ electric \ potential)$$

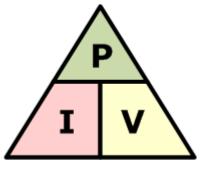
•
$$P = \frac{Work}{t} = \frac{QV}{t} = \frac{Q}{t}V \rightarrow \left[\frac{Q}{t} = I\right] \rightarrow P = IV$$

•
$$P = IV \rightarrow (V = IR) \rightarrow I(IR) = P = I^2R$$

•
$$P = IV \rightarrow I = \frac{V}{R} \rightarrow P = \frac{V}{R}V = P = \frac{V^2}{R}$$

3 ways to calculate power.

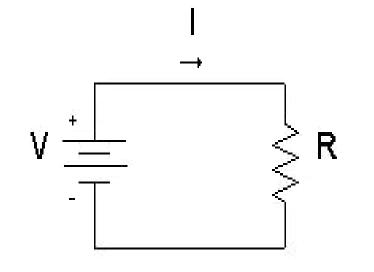
$$P = IV = I^2 R = \frac{V^2}{R}$$



Magic Circle



Power: Examples



Use Ohms law, and the Power Equations to Complete the following Table.

Potential	Resitance	Current	Power
12V	?	0.5A	?
?	4Ω	0.75A	?
4V	2Ω	?	?

$$P = IV = I^2R = \frac{V^2}{R}$$

V = IR

Solutions Potential	Resistance	Current	Power
	$R = \frac{V}{I} = 24\Omega$		P = IV = 6W
V = IR = 3A			$P = I^2 R$ $= 2.25 W$
		$I = \frac{V}{R} = 2A$	$P = \frac{V^2}{R} = 8W$

Power

- The electric company measures kilowatt hours \rightarrow kWh
- kWh = power * time = Work
- Work required to keep your household running.
- 1 kWh= 1000W * 3600s = 3.6*10⁶ J









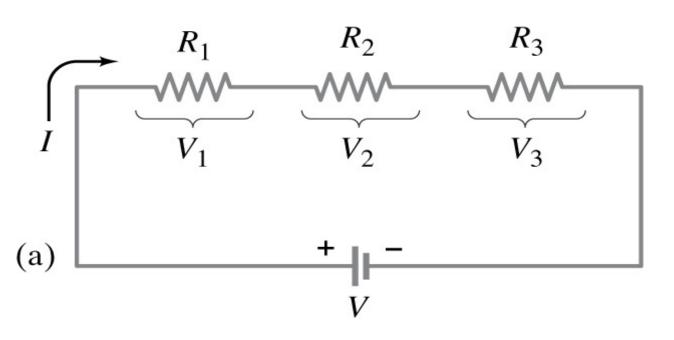
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Power MD C	T	565 M/h x 00		7.50
	EmPower MD Chg		565 kWh x .0041100	
Distribution Chg		565 kWh x .02	565 kWh x .0280100	
Chg/Misc	-	565 kWh x .0	565 kWh x .0033300	
d Res Chg/C	Cr	565 kWh x .0	565 kWh x .0002900	
Initiative Ch	ng	565 kWh x .0	000900	.05
te / Local Ta	axes & S	urcharges		
Universal S	vc Prog			.36
Envir Srchg		565 kWh x .0001500		.08
nchise Tax		565 kWh x .0006200		.35
al BGE Ele	ectric A	mount		\$82.71
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stabilization charge of \$0.00611 per kWh approved by the Maryland PSC that BGE is collecting as servicer on behalf of RSB BondCo LLC, which owns the qualified rate stabilization charge.

Resistors in Series

A series connection has a single path from the battery, through each circuit element in turn, then back to the battery.

- The sum of the voltage drops across the resistors equals the battery voltage.
- The current through each resistor is the same.
- Voltage across each resistor is different

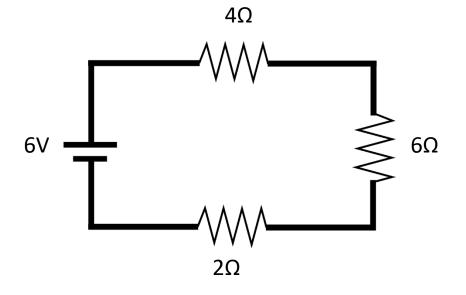


 $V = V_{1} + V_{2} + V_{3}$ $V = IR_{1} + IR_{2} + IR_{3}$ $V = I(R_{1} + R_{2} + R_{3})$

$$V = IR_{eq}$$
$$R_{eq} = R_1 + R_2 + R_3$$

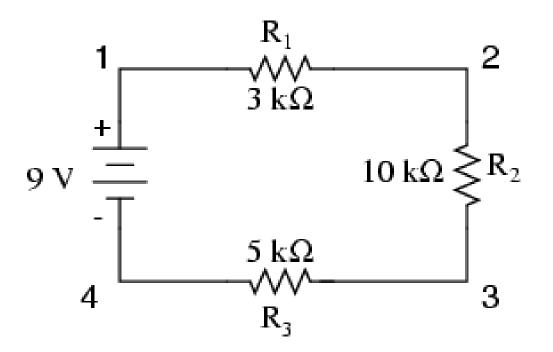
Resistors in Series

- Equivalent Resistance of the circuit
- Current through the resistors
- Voltage Drop across each resistor
- Power dissipated by each resistor
- Power dissipated by the entire circuit



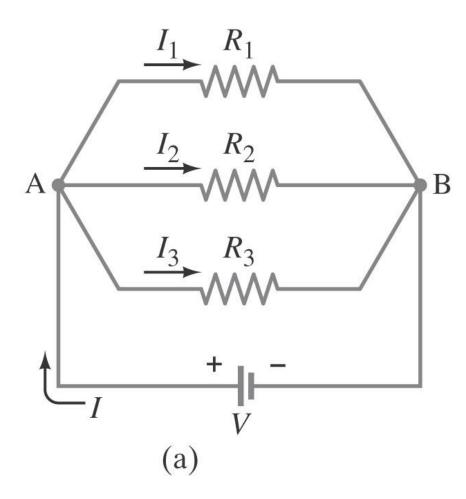
Resistors in Series

- Equivalent Resistance of the circuit
- Current through the resistors
- Voltage Drop across each resistor
- Power dissipate by each resistor
- Power dissipate by the entire circuit



Resistors in Parallel

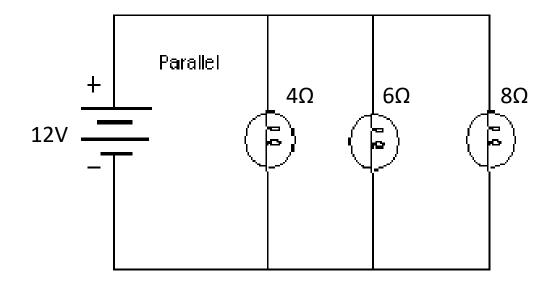
- A parallel connection splits the current
- The voltage across each resistor is the same
- Current across each resistor is different.



• $I = I_1 + I_2 + I_3$ • $\frac{V}{R_{eq}} = \frac{V}{R_1} + \frac{V}{R_2} + \frac{V}{R_3}$ • $\frac{V}{R_{eq}} = V(\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3})$ • $\frac{1}{R_{eq}} = (\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_2} + \frac{1}{R_3})$

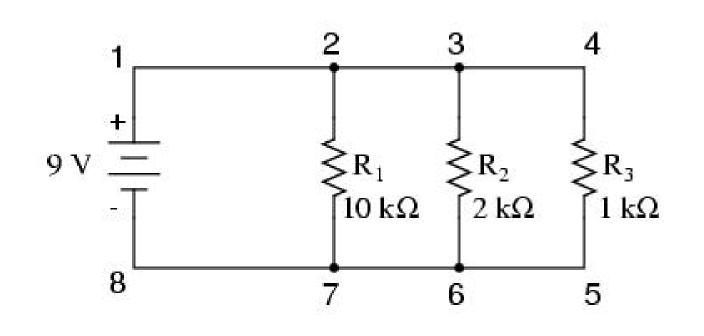
Resistors in Parallel

- Equivalent Resistance of the circuit
- Current through the circuit
- Current across each resistor
- Power dissipated by each resistor
- Power dissipated by the entire circuit



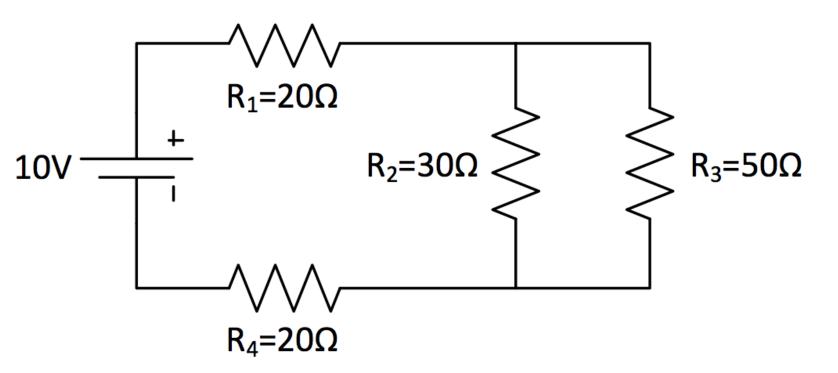
Resistors in Parallel

- Equivalent Resistance of the circuit
- Current through the circuit
- Current across each resistor
- Power dissipated by each resistor
- Power dissipated by the entire circuit



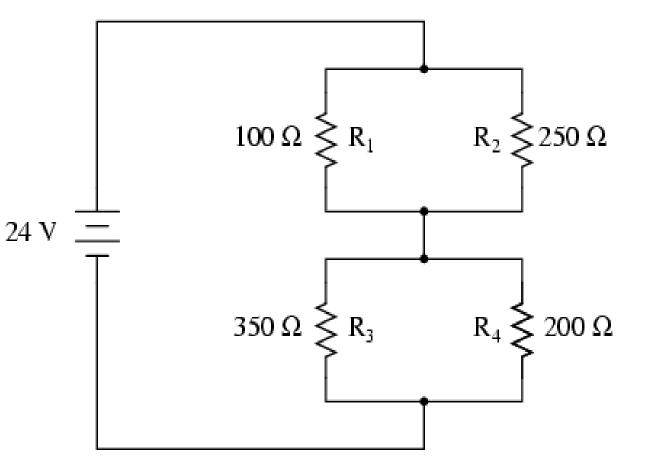
Complex Circuits

- Equivalent Resistance of the circuit
- Total Current through the circuit
- Current through each resistors
- Voltage Drop across each resistor
- Power dissipate by the entire circuit



Complex Circuits

- Equivalent Resistance of the circuit
- Total Current through the circuit
- Current through each resistors
- Voltage Drop across each resistor
- Power dissipate by the entire circuit



Complex Circuits

- Equivalent Resistance of the circuit
- Total Current through the circuit
- Voltage Drop across each resistor
- Power dissipate by the entire circuit

